

Taiyo Yuden

Component data information

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1-1. Condition for measuring S-parameter (below 6GHz)

Measuring instrument : E4991A/4294A/4291A/4194A/etc (Impedance Analyzer of Agilent)
8510C/8753D/E8364/E5071C/etc (Network Analyzer of Agilent)

Test Fixture : 16197/16192/16092/16193/16047/etc (for Impedance Analyzer)
Taiyo Yuden ordinal test fixture (for Network Analyzer)

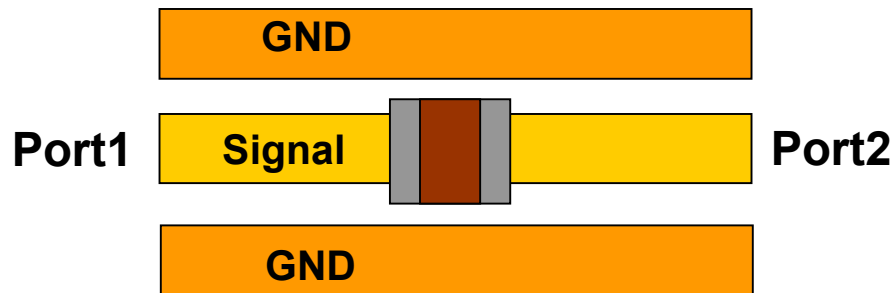
Room Temperature : 25 +/- 1 degree C

Measuring method : Measuring methods are changed at each frequencies and each devices

Example) The case of standard multilayer ceramic capacitor Class1

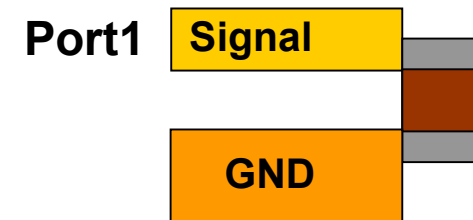
<Low Frequency (under 500 MHz)>

Transmission measurement



<High frequency (over 500MHz)>

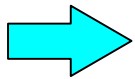
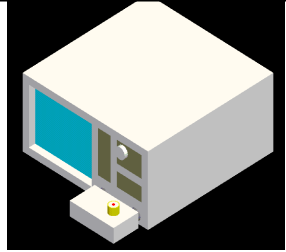
Reflection measurement



※We get rid of the influence of the test fixture by using DE-EMBEDDING

1-2. Data Generating

Measurement



Raw data

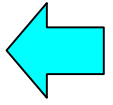
S11		
FREQ	RE	IM

Frequency 0.045 to 6.0 GHz

Averaged

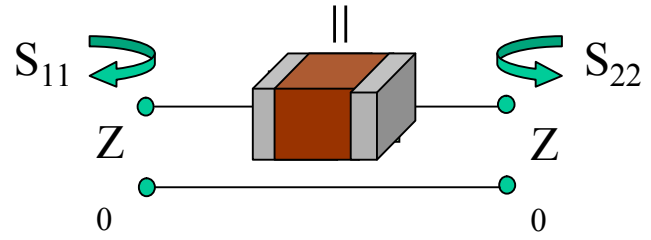
$$S_{21}=A+jB, S_{11}=C+jD$$

$$S_{21}=1-S_{11} \Rightarrow \begin{matrix} A=1-C \\ B=-D \end{matrix}$$



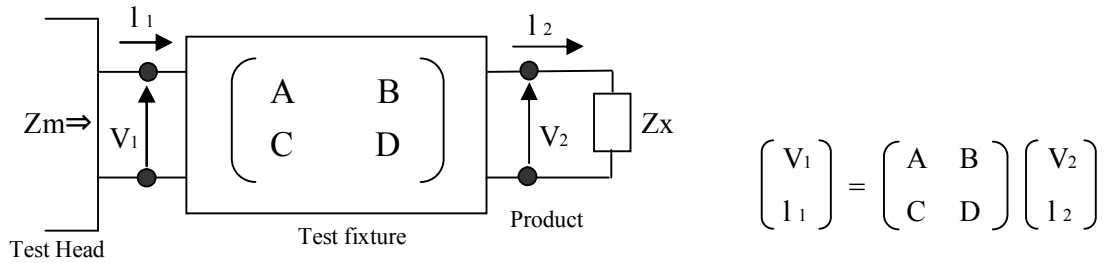
2Port S-parameter

S11			S21		S12		S22	
Freq	Re	Im	Re	Im	Re	Im	Re	Im



< Electrical Performance: Measuring Method of impedance >

(1) Residual elements and stray elements of test fixture can be described by F-parameter shown in following.



(2) The impedance of chip Zx and measured value Zm can be described by input/output current/voltage

$$Z_m = \frac{V_1}{I_1} \quad Z_x = \frac{V_2}{I_2}$$

(3) Thus, the relation between Zx and Zm is following.

$$Z_x = \frac{Z_m - \beta}{1 - Z_m \Gamma}$$

Where, $\alpha = D/A = 1$
 $\beta = B/D = Z_{sm} - (1 - Y_{om} \cdot Z_{sm}) Z_{ss}$
 $\Gamma = C/A = Y_{om}$

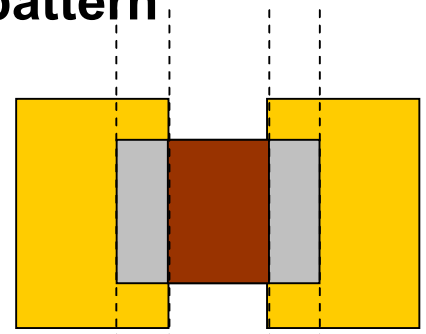
[Z_{sm}: measured impedance of short chip
 Z_{ss}: residual impedance of short chip
 Y_{om}: measured admittance when opening the fixture]

(4) Cx, Lx, Zx and Qx shall be calculated with the following equation.

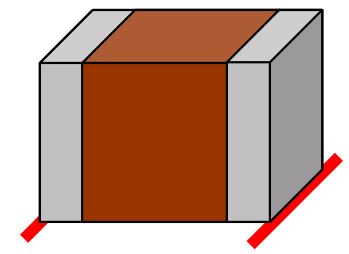
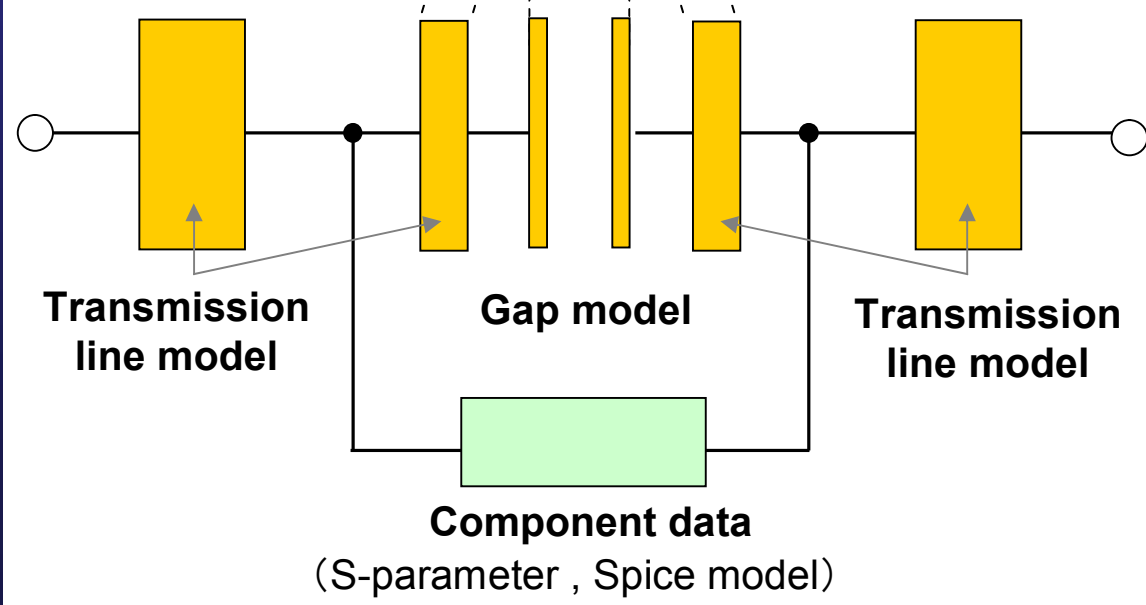
$$C_x = \frac{-1}{2\pi f \cdot \text{Im}(Z_x)} \quad L_x = \frac{\text{Im}(Z_x)}{2\pi f} \quad Z_x = \sqrt{\text{Re}(Z_x)^2 + \text{Im}(Z_x)^2} \quad Q_x = \left| \frac{\text{Im}(Z_x)}{\text{Re}(Z_x)} \right|$$

2-1. Port reference of our component data

Actual land pattern



Recommendation model for Simulation



Port reference Port reference

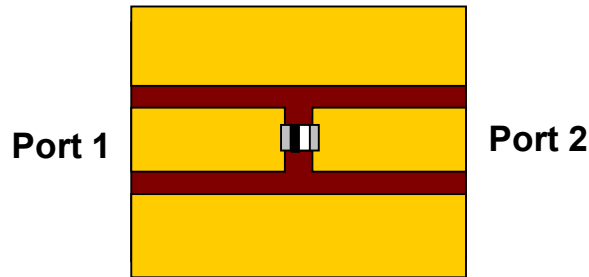
The port reference of components is set up at both ends of the bottom surface.

If you use our component data for circuit design , we recommend the following usage.

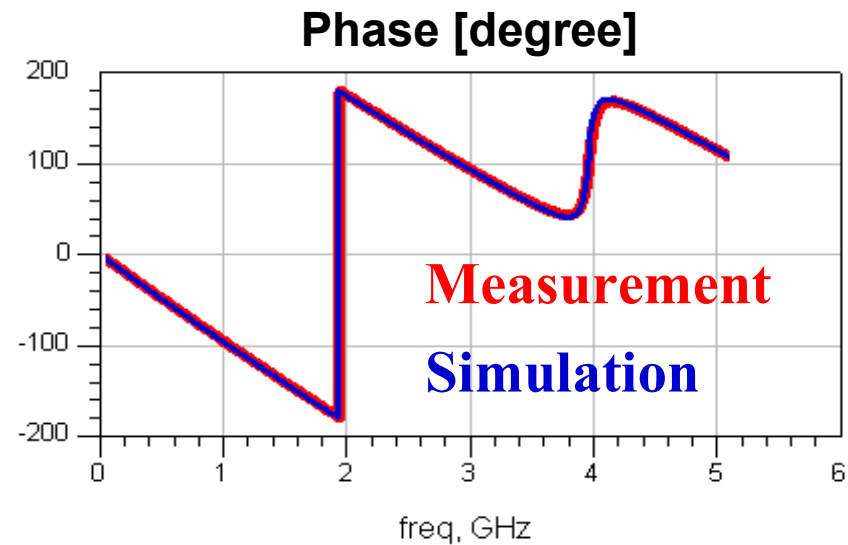
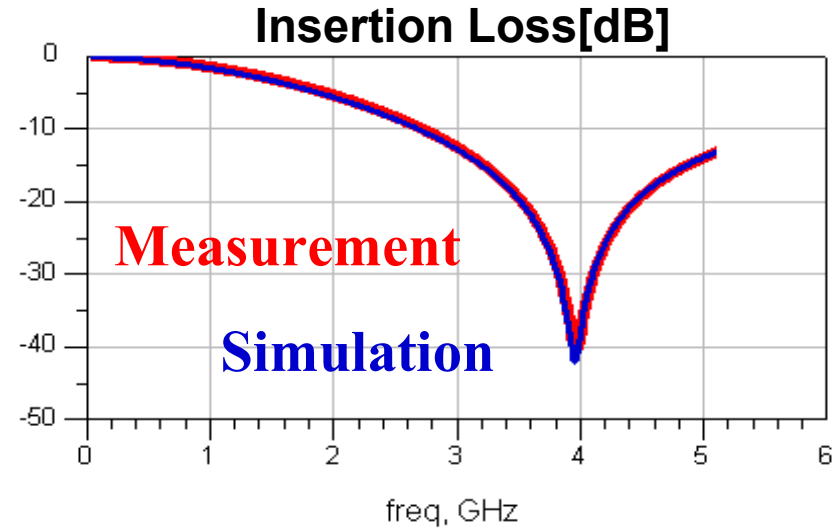
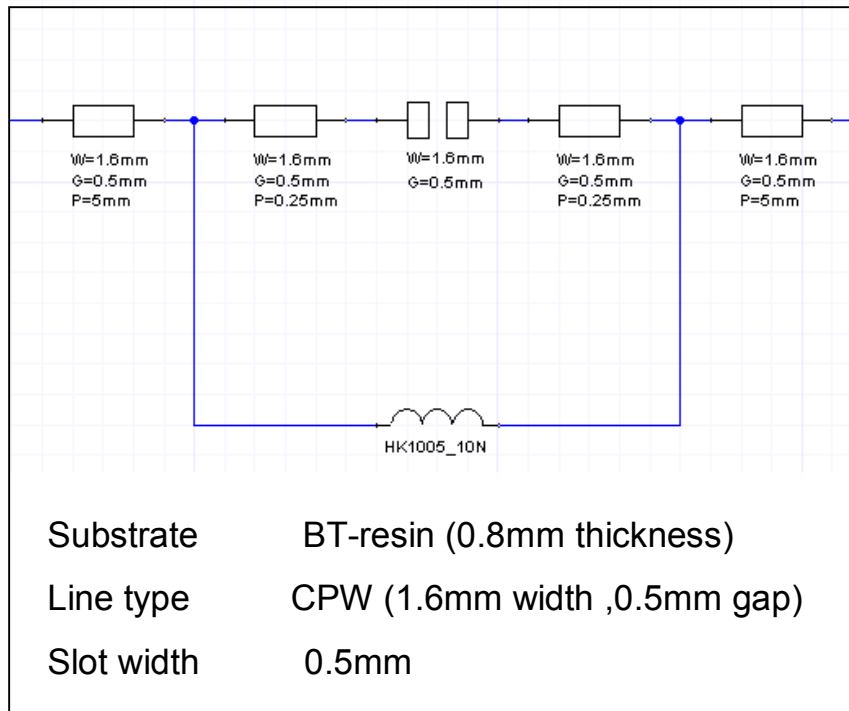
- 1).The transmission lines located outside of port reference are connected to the component data in series.
- 2).The transmission lines located inside of port reference are connected to the component data in parallel.
- 3).The influence of slot in land pattern is expressed by using gap models

2-1. Port reference of our component data

Actual pattern



Schematic



Equally Match!!

*These graphs are reference data, and they don't guarantee the accuracy of the S parameters. Please note that there are some cases that the simulation result doesn't match perfectly the measurements data due to the material conditions (thickness, $\tan \delta$) and the transmission line conditions (width,length).